## Episode 6.04 - Four-Variable Karnaugh Map Example

(Transcript URL: https://intermation.com/episode-6-04-four-variable-karnaugh-map-example/)

**Show Description:** Many digital designs begin with a truth table. In this episode, we do just that, and then create the simplified sum-of-products expression by way of the Karnaugh map.

Podcast Timestamp	Supporting Details								
	<ul> <li>Example truth table for a security system. Inputs identifiers are:</li> <li>A = 1, system is armed; A = 0, system is disarmed</li> <li>G = 1, glass break has been detected; G = 0, no glass break detected</li> <li>M = 1, motion has been detected; M = 0, no motion detected</li> <li>D = 1, door is open; D = 0, door is closed</li> <li>X = 1, alarm is sounding; X = 0, alarm is silent</li> </ul>								
0:55	0	А	G	М	D	х		$\leftarrow \qquad \text{System disarmed} \rightarrow \text{no points tripped}$	
		0	0	0	0	0	←		
		0	0	0	1	0	٦		
		0	0	1	0	0	}	System disarmed $\rightarrow$ motion sensed or door open, but no alarm	
		0	0	1	1	0	J		
		0	1	0	0	1	٦		
		0	1	0	1	1		System disarmed $\rightarrow$ glass broken so	
		0	1	1	0	1	ſ	alarm should sound	
		0	1	1	1	1	J	J	
		1	0	0	0	0	$\leftarrow$	System armed $\rightarrow$ no points tripped	
		1	0	0	1	1	٦		
		1	0	1	0	1			
		1	0	1	1	1			
		1	1	0	0	1	$\left.\right\}$	System armed $\rightarrow$ any tripped point should sound alarm	
		1	1	0	1	1			
		1	1	1	0	1	J		
		1	1	1	1	1			
						I			

Podcast	Supporting
Timestamp	Details
5:40	AG = 00 = 01 = 11 = 10 $AG = 00 = 0 = 0 = 0$ $OI = 0 = 0$ $OI = 0 = 0$ $OI = 0$